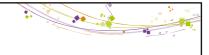


Background: the U.S. helium program





"We choose to go to the Moon"

"We choose to go to the Moon in this decade and do the other things, not because they are easy, but because they are hard; [...] because that challenge is one that we are willing to accept, one we are unwilling to postpone, and one we intend to win".

U.S. President John F. Kennedy.

"Address at Rice University on the Nation's Space Effort", Rice Stadium, Houston TX. September 12, 1962

EP 0

Helium

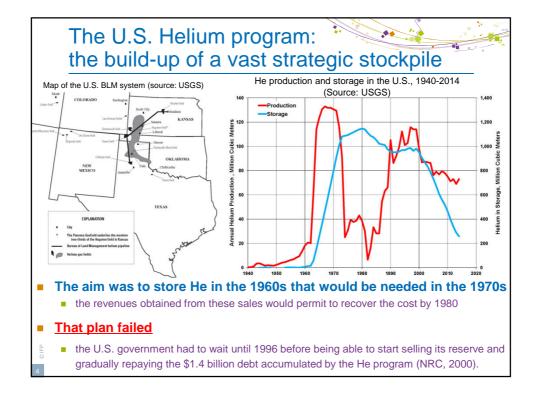
a noble gas

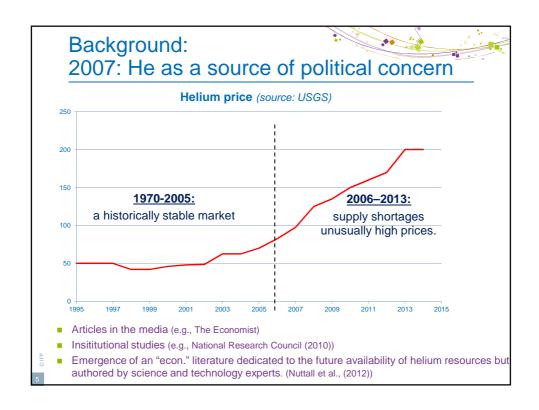
- a unique collection of physical properties
- used in a number of advanced technologies
 - leak detection, chromatography, welding under inert conditions, breathing mixtures for deep-sea diving.
 - nearly non-substitutable in fiber-optic technology, electronic manufacturing, rocket launching, and cryogenics (e.g., in MRI scanners).

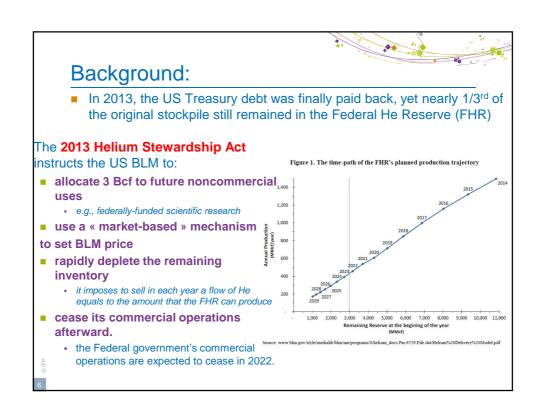
an exhaustible finite resource

- an optional by-product of natural gas.
 - He can be separated from the gas streams extracted from a limited number of helium-rich natural gas deposits.
- If not separated, that helium is wasted
 - it dissipates in the atmosphere when the gas is burned.

@ E







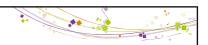


Research Question

Is the rapid phase out of the U.S. Reserve supported by the future evolution of the world helium market?

- Does-it blur pricing on the world helium market?
 - Recall that the BLM controlled circa 30% of the global helium supplies in 2013 (USGS, 2015).

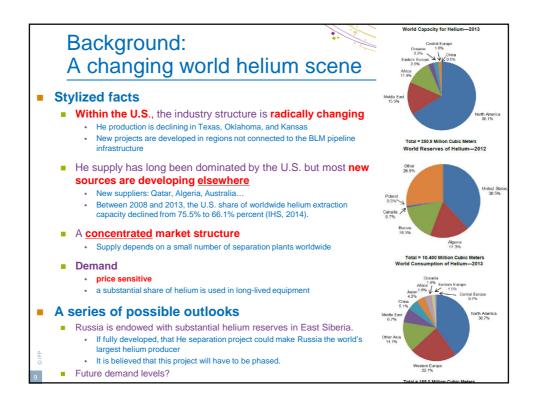
<u>H</u>

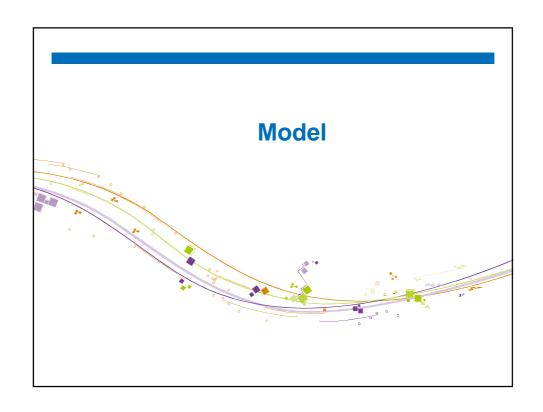


Literature

- The applied literature is old and limited to the U.S. market
 - dates back to the 1980s. At that time, the discussion chiefly revolved around the issue of the rationale for governmental stockpiles.
 - Epple and Lave (1980): a numerical model of the U.S. He industry.
 - a LP aimed at determining the rate of helium production and storage over time that maximizes the discounted social welfare.
 - The early empirical studies of Liu (1983) and Uri (1986, 1987)
 - structural econometric models of the helium market aimed at
 - building supply and demand projections (Liu, 1983; Uri, 1987)
 - Checking whether demand and supply respond to normal market forces (Uri, 1986).
- The theoretical literature on natural resources economics
 - Pindyck (1982) considers the joint extraction of two finite exhaustible resources forming a composite ore
 - Hughey (1989) investigates the role of helium demand in the market equilibria for both natural gas and helium
 - Hughey (1991) assesses the economics of three subsidy policies

E D







The World Helium Model (WHM)

- Methodology: a detailed partial equilibrium model
 - A dynamic, open-loop, Nash-Cournot oligopoly model
 - deterministic,
 - time-discrete, finite-horizon $t \in T := \{1, ..., T\}$
 - a linear-quadratic specification
 - Solved as an instance of a mixed complementarity problem (MCP)
 - that captures the essential features of that industry:
 - the inertia of global helium consumption,
 - impacted by both current and past decisions;
 - the strategic behavior of market participants;
 - the role of both public and private storage inventories;
 - and the endogenous modeling of capacity investments.

0



The World Helium Model

- The WHM portrays the **strategic interactions** between two main types of suppliers:
 - the <u>U.S. federal government</u> that operates the FHR
 - and the private firms separating helium from natural gas.
 - Typology: 3 types of private firms
 - $J_{\rm 1}$ Those processing He from gas fields where future production cannot increase
 - J_{γ} The U.S. firms connected to the BLM's storage system
 - => storage decisions have to be modeled
 - ${\it J}_{\rm 3}$ The private suppliers located in resource-rich regions that are capable of expanding their future annual production of helium.
 - => investment decisions have to be modeled

EP I



Ingredients

- **Time horizon**
 - From 2014 (year 1) to 2050 (year 37) $t \in T := \{1,...,T\}$
 - Our discussion will be centered on the first 20 years
- The demand side
 - An empirically-estimated world helium demand

$$d_t = \alpha_t - \gamma p_t + \lambda d_{t-1}, \quad \forall t \in T, d_0 \text{ given.}$$

- and the associated inverse linear demand function $p_t = P_t \left(d_t, d_{t-1} \right)$
- Market-clearing condition

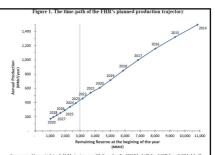
$$\sum_{j \in J} q_t^j = d_t ,$$

 $\forall t \in T$.

@ E

Players: The US BLM

Model I: supply is determined by the geology



■ Model II: profit maximization

$$\max_{\boldsymbol{q}_{t}^{BLM}} \quad \boldsymbol{\Pi}_{BLM} = \sum_{t \in \mathbf{T}_{BLM}} \boldsymbol{\beta}_{BLM}^{\quad t} \Big[P_{t} \left(\boldsymbol{q}_{t}^{BLM} + \boldsymbol{q}_{t}^{-BLM^*}, \boldsymbol{q}_{t-1}^{BLM} + \boldsymbol{q}_{t-1}^{-BLM^*} \right) - \boldsymbol{C}_{BLM} \, \Big] \boldsymbol{q}_{t}^{BLM}$$
 (BLM II – 1)

$$\text{s.t.} \quad q_t^{BLM} \leq \eta R_{t-1} + \mu \;, \qquad \qquad \forall t \in T_{BLM} \;, \tag{BLM II} - 2)$$

$$R_{t} = R_{t-1} - q_{t}^{BLM} , \qquad \qquad \forall t \in T_{BLM} , \ R_{0} \ \ \text{given}, \tag{BLM II - 3} \label{eq:BLM II - 3}$$

$$R_{T_{BLM}} = \underline{R}$$
, (BLM II – 4)

$$q_t^{\mathit{BLM}} \geq 0 \hspace{1cm} \forall t \in T_{\mathit{BLM}} \, . \hspace{1cm} (\mathrm{BLM} \, \, \mathrm{II} - 5)$$

Players:



J₁ The existing separators

- The existing separators with non-increasing future helium-processing capacities
 - Behave à la Cournot $\delta_i = 1$ or as price taking firms $\delta_i = 0$
 - They can supply helium up to an exogenously determined capacity $\overline{H_i^I}$

s.t.
$$q_t^j \le \overline{H_t^j}$$
, $\forall t \in T$, (J1-2)

$$q_t^j \ge 0$$
, $\forall t \in T$. (J1–3)

@ IE

Players:

J₂ The U.S. separators



■ They can store helium until the closure of the US BLM



s.t.
$$h_t^j \le \overline{H_t^j}$$
, $\forall t \in T$, $(J2-2)$

 $q_t^J + i_t^J = h_t^J + w_t^J, \qquad \forall t \in T, \qquad (J2-3)$

Storage equations $\forall t \in T, v_0^j \text{ given,}$ $\forall t \in T, v_0^j \text{ given,}$ (J2-4)

 $v_t^J = 0$, $\forall t \ge T_{BLM}$, (J2-5)

 $q_t^j \geq 0 \; , \; \; h_t^j \geq 0 \; , \; \; v_t^j \geq 0 \; , \; \; i_t^j \geq 0 \; , \; \; \; w_t^j \geq 0 \; , \qquad \quad \forall t \in \mathcal{T} \; . \tag{J2-6} \label{eq:J2-6}$

Players:

J₃ The new players



 But possible capacity expansions are limited by the deployment of LNG plants in these areas

s.t.
$$K_t^j = K_{t-1}^j + k_t^j$$
, $\forall t \in T$, K_0^j given, (J3–2)

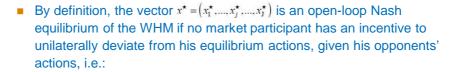
$$q_t^j \le K_{t-1}^j, \qquad \forall t \in \mathcal{T}, \tag{J3-3}$$

$$K_t^j \le \overline{K_t^j}$$
, $\forall t \in T$, (J3-4)

$$q_t^j \ge 0 \;, \quad k_t^j \ge 0 \;, \qquad \qquad \forall t \in \mathsf{T} \,. \tag{J3-5} \label{eq:J3-5}$$

0

Solution strategy

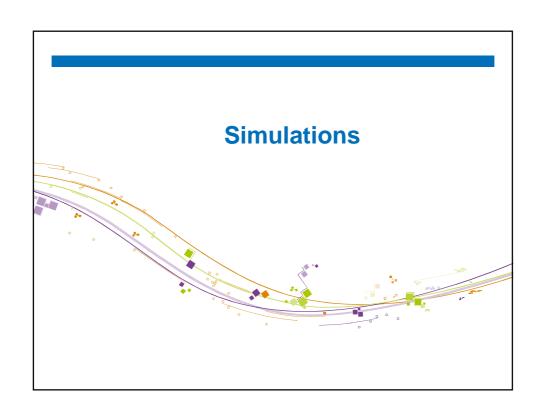


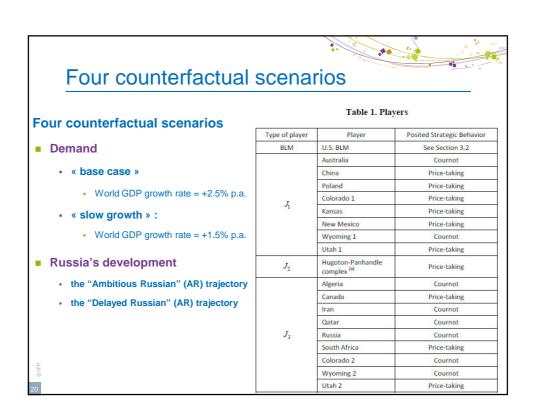
$$\Pi_{j}\left(\boldsymbol{x}^{\star}\right)\!\geq\!\Pi_{j}\left(\boldsymbol{x}_{1}^{\star},...,\boldsymbol{x}_{j-1}^{\star},\boldsymbol{x}_{j},\boldsymbol{x}_{j+1}^{\star},...,\boldsymbol{x}_{J}^{\star}\right), \quad \ \forall \boldsymbol{x}_{j}\in\Omega_{j}\;,\;\forall j\in\boldsymbol{J}\;,$$

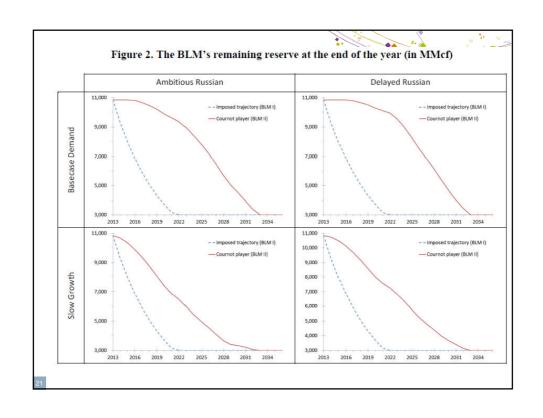
Solution

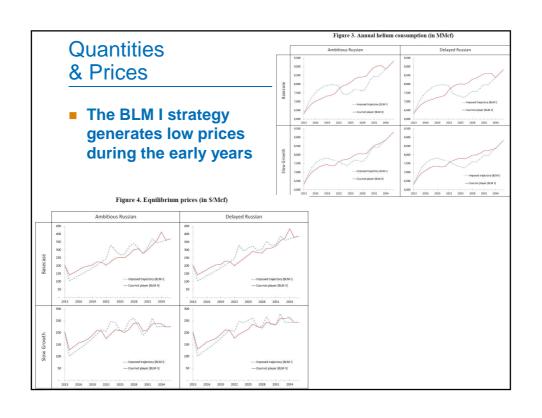
The essence of the numerical approach is to find an equilibrium that simultaneously satisfies each market participant's KKT conditions for profit-maximization together with the demand equation and the market-clearing condition.

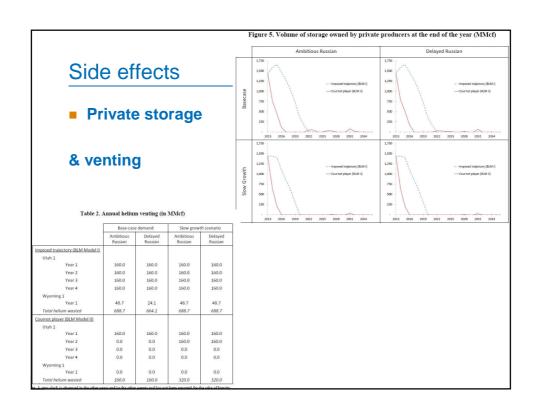
O IFP

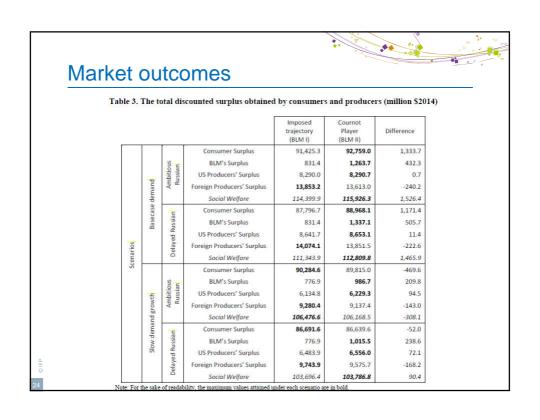












Conclusions

Our findings call for a rapid modification of the rapid phase out imposed in the 2013 Act

- 1. this extraction path does not maximize the total financial return to the U.S. federal budget,
 - which contradicts one of the policy objectives stated in the 2013 Act.
- 2. It does not help to conserve the resource
 - that policy, and the low prices it generates during the early years, systematically induces a net waste of helium.
- 3. A higher level of social welfare could be achieved in 3 out of the 4 scenarios examined in this paper.

0

